

Coronal Jets Confined by Coronal Loops

Peter F. Wyper
Goddard Space Flight Center

Collaborators:
C. R. DeVore¹, S. K. Antiochos¹,
J. T. Karpen¹, D. I. Pontin²
¹Goddard Space Flight Center,
²Dundee University

Harvard Center for Astrophysics
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Outline

A Model For Closed-Field Jets

- Observations
- Jet Generation Models
- Embedded Bipole Model
- Questions
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- Jet Behaviour
- Jets & Reconnection
- Quantitative Differences
- Conclusions

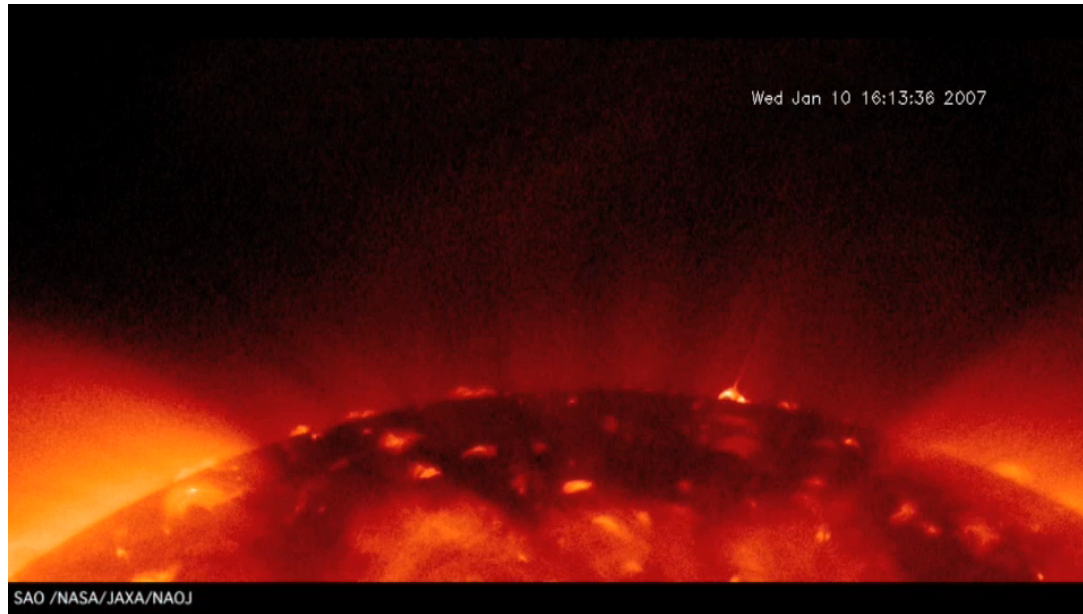
Tearing & Blobs in Jets

- Tearing & Blobs
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- 3D Tearing: Null Point Current Layer
- High Resolution Simulations
- Short Loop: Tearing
- Long Loop: Tearing
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- Conclusions

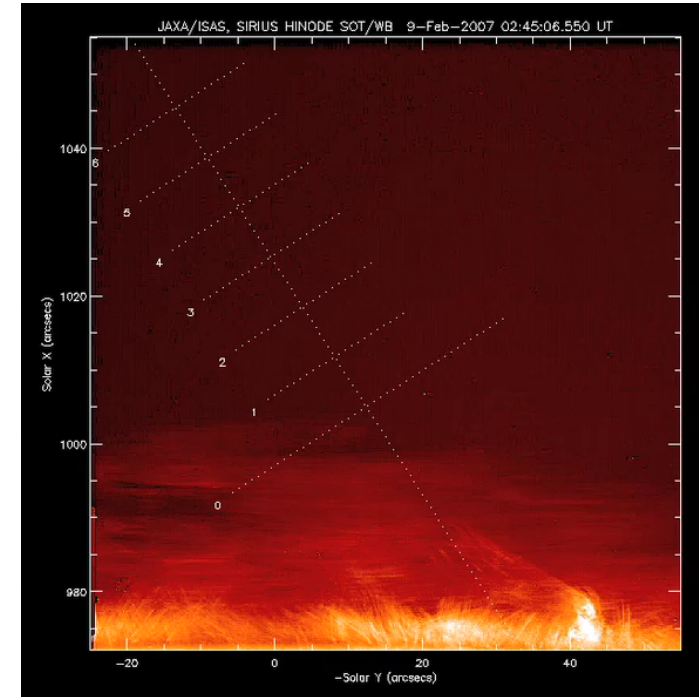
Observations

Open-field Jets

Cirtain et al. (2007)



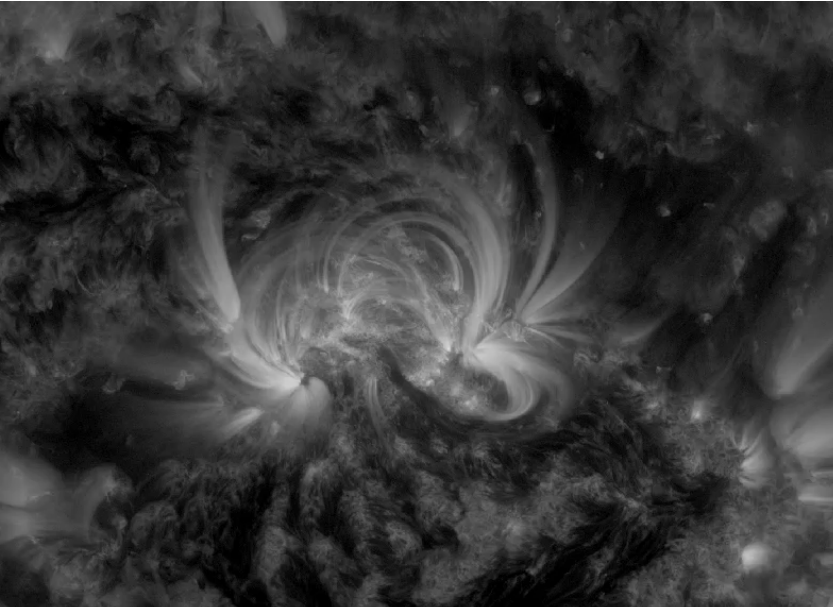
Liu et al. (2009)



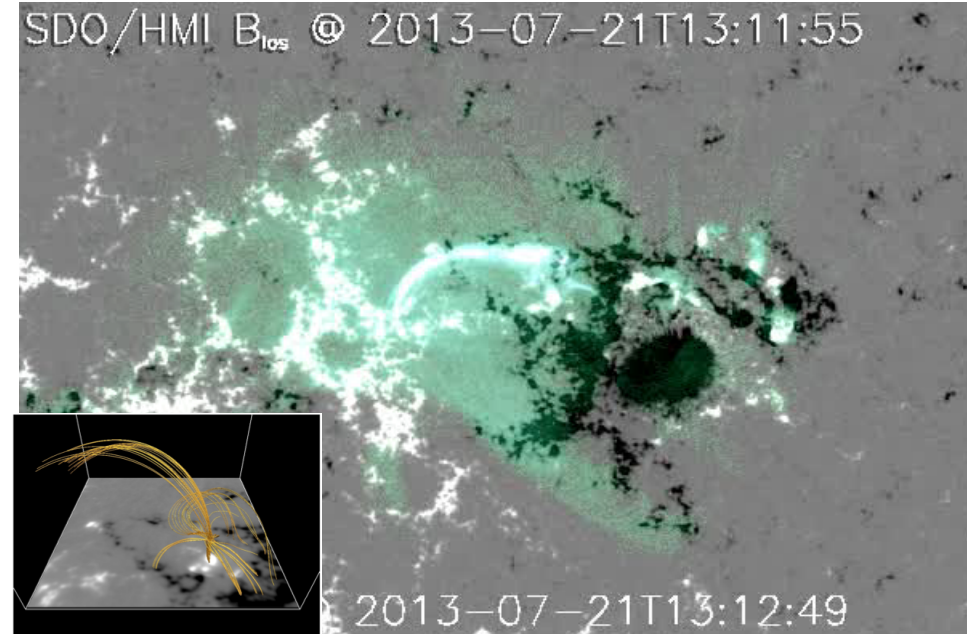
- Prolific in polar coronal holes.
- Base brightening and quasi-radial spires.
- Often exhibit helical motions.

Observations

Closed-field Jets



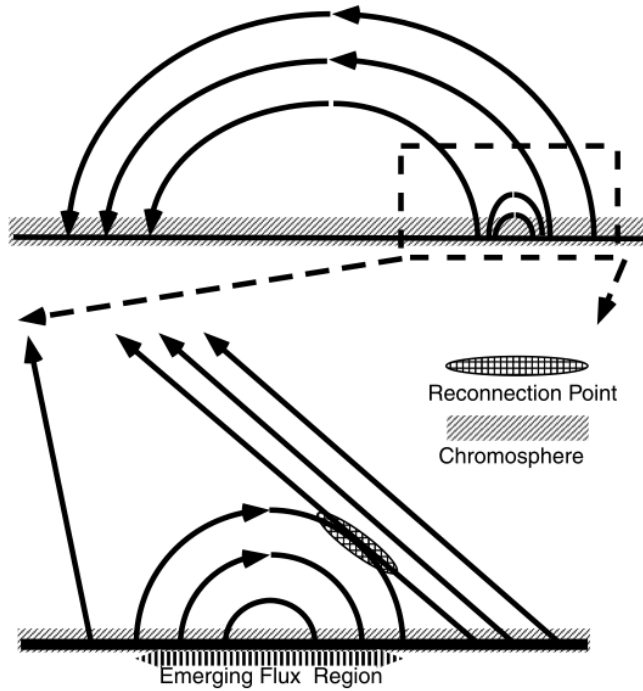
Cheung et al. (2015)



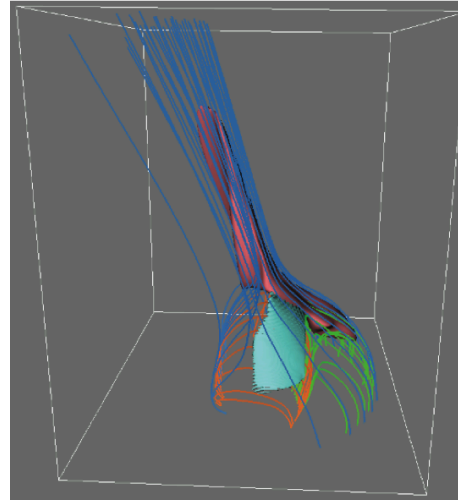
- Often within or nearby active regions.
- Some large jets in diffuse quiet sun field.
- Above parasitic polarities: 3D null field.
- Guided along the curved magnetic field
-> jet expands & contracts.
- Often show helical motions.

Jet Generation Models

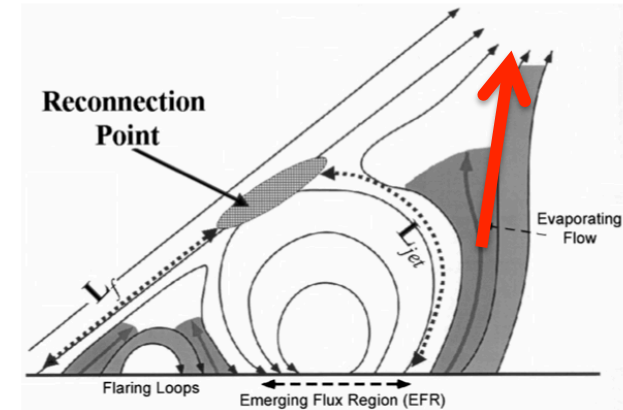
Shimojo et al. (2001)



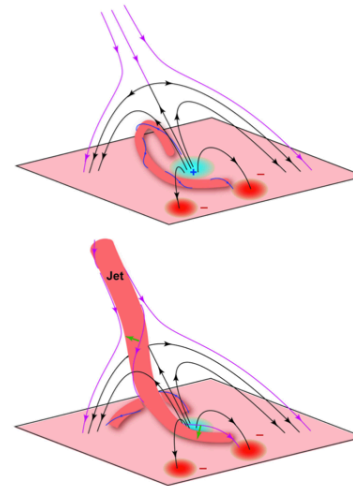
Moreno-Insertis et al. (2008)



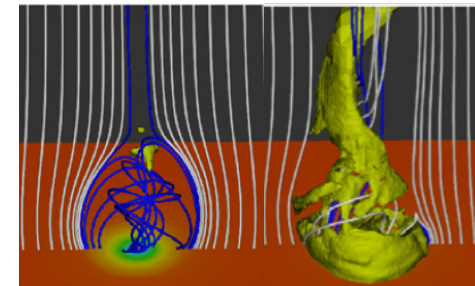
Shimojo & Shibata (2000)



Filippov et al.(2015)



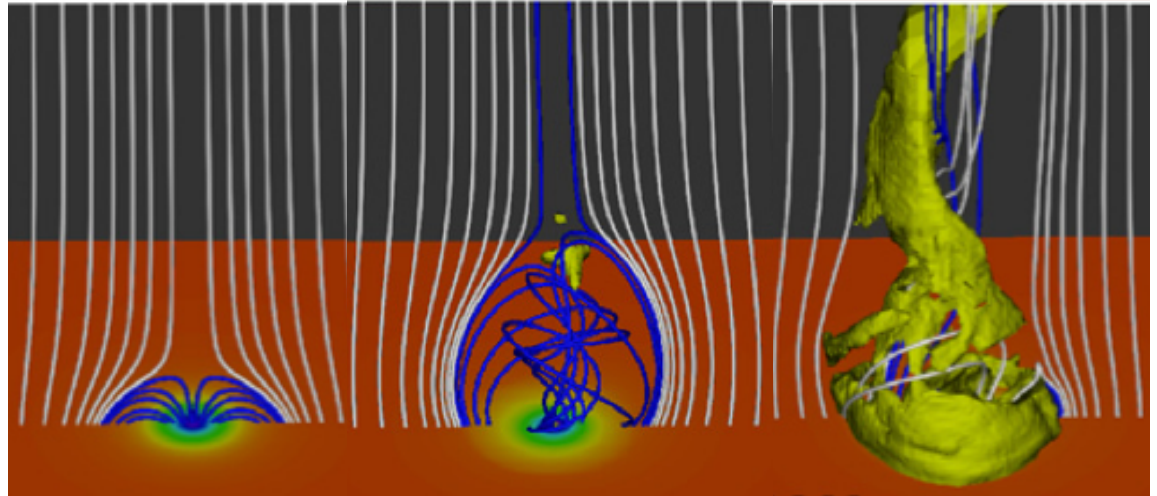
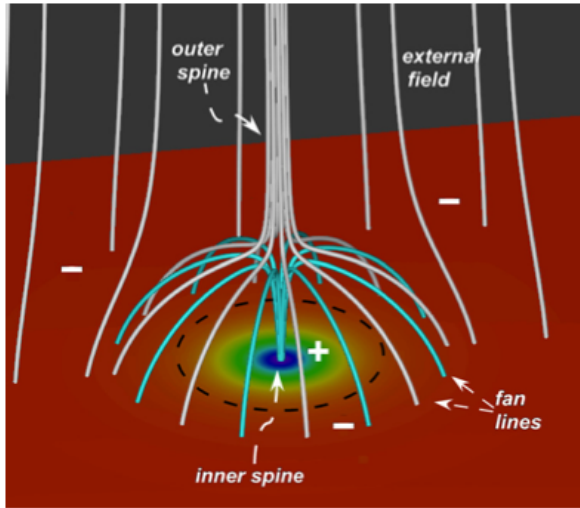
Pariat et al.(2009)



- Reconnection between quasi-open & closed field.
- Reconnection necessary, but may not always be the driver.
 1. Reconnection jet (magnetic tension).
 2. Evaporation (pressure gradient).
 3. Alfvén waves (magnetic tension).

Embedded Bipole Model

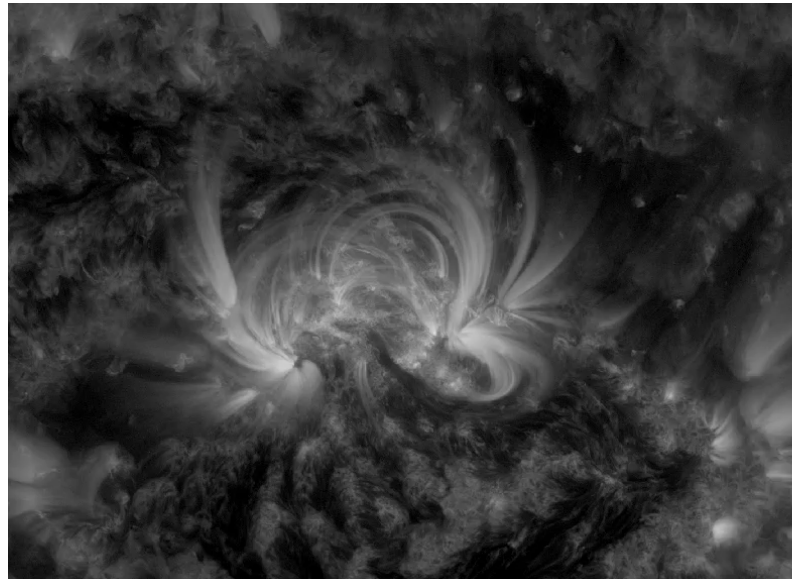
Pariat et al. (2009)



- Pre-existing parasitic polarity – potential field.
- Photospheric driving injects free energy.
- Reconnection initially inhibited by symmetry (similar with small inclines, Pariat et al. 10, 15)
- Kink-like instability breaks the symmetry, generating fast reconnection and an untwisting jet.
- System relaxes as twist propagates away.

Questions

- Will the same mechanism work in closed field configurations?
- To what extent does it reproduce the observed behaviour, i.e.:



- What happens to the confined jet?
- Do jets behave differently along long & short loops?
- Wide variety of loop lengths vs jet sizes.

→ Parameter study needed!

MHD Simulations

- Place a parasitic polarity in a dipole field.
- Two natural length scales:
N – width of dome region
L – foot point distance of background field

- Using the ARMS code to solve:

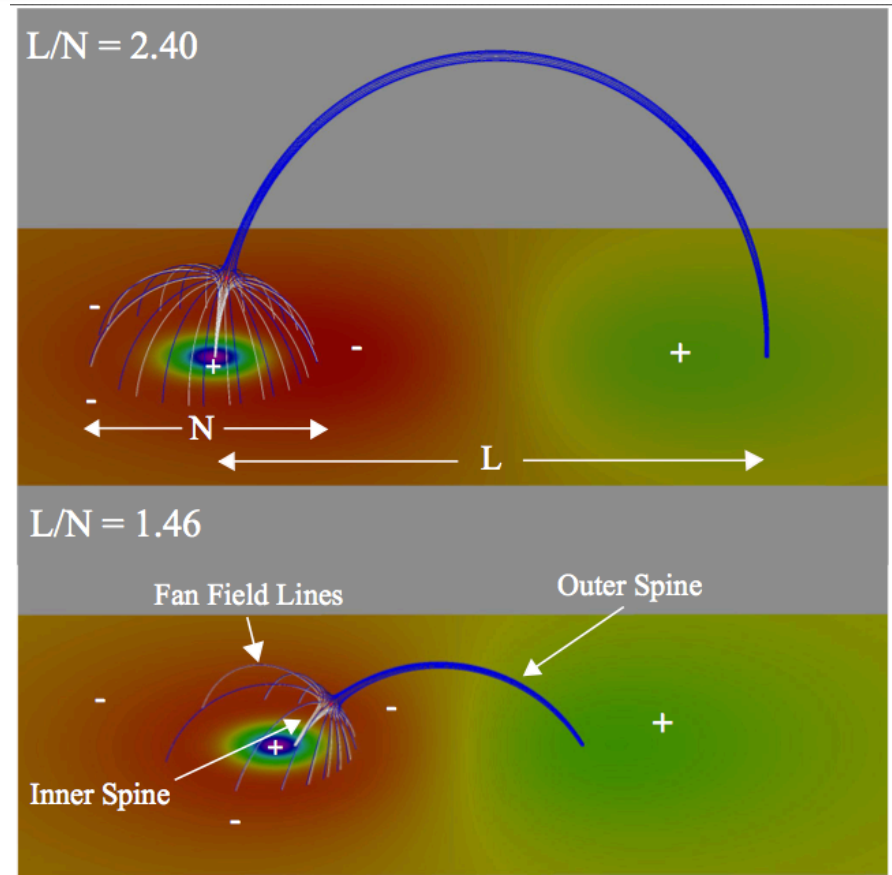
$$\frac{\partial \rho}{\partial t} + \nabla \cdot (\rho \mathbf{v}) = 0,$$

$$\frac{\partial \mathbf{v}}{\partial t} + \nabla \cdot (\rho \mathbf{v} \mathbf{v}) + \nabla P - \frac{(\nabla \times \mathbf{B}) \times \mathbf{B}}{\mu_0} = 0,$$

$$\frac{\partial U}{\partial t} + \nabla \cdot (U \mathbf{v}) + P \nabla \cdot \mathbf{v} = 0,$$

$$\frac{\partial \mathbf{B}}{\partial t} - \nabla \times (\mathbf{v} \times \mathbf{B}) = 0.$$

Numerical resistivity

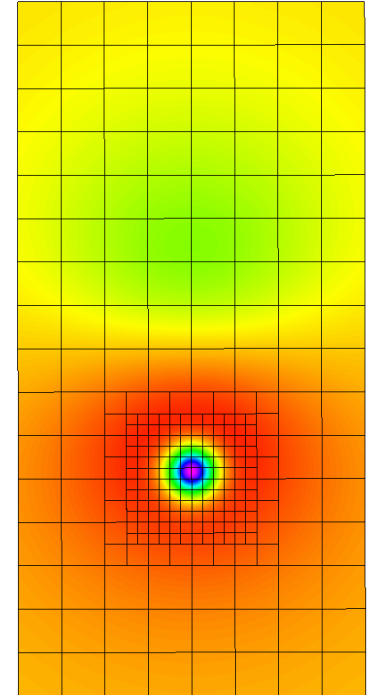
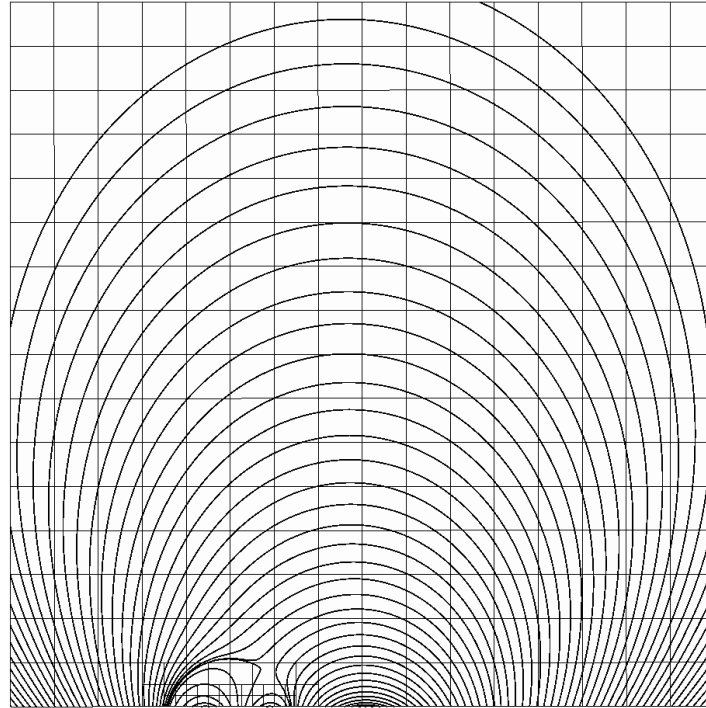


- Coronal loops and jets observed at many scales – so we use **non-dimensionalised units**.
- Cartesian; P, rho, T = const.; no gravity. Closed boundaries.
- $N \sim 7\text{Mm}$, $B_{pp} \sim 210\text{ G}$, $B_{back} \sim 40\text{ G}$ (AR scaling)
- Parameter range: $L/N = [1.0, 2.7]$

MHD Simulations

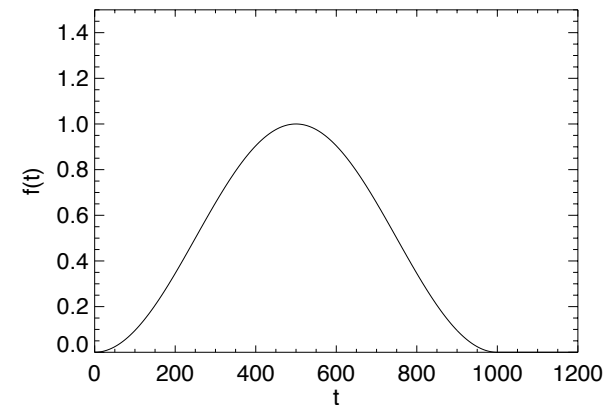
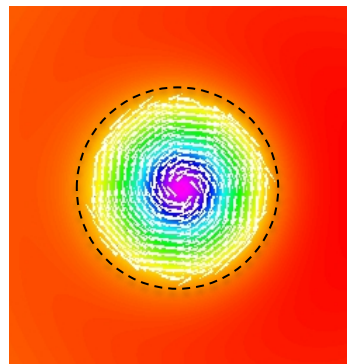
Grid

- Additional resolution at jet base to resolve driving.
- Each cell: 8x8x8 grid cells.
- Grid further adapts in regions of high current.



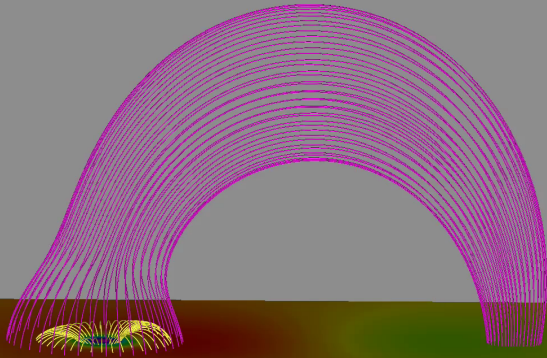
Driving

- Rotate sub-sonically/sub-alfvénically the parasitic polarity to build stress.
- Finite period (1000 sec, AR scaling)

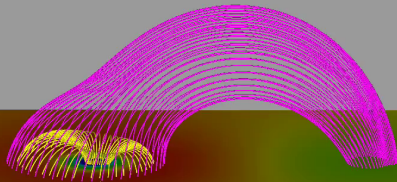


Jet Behaviour

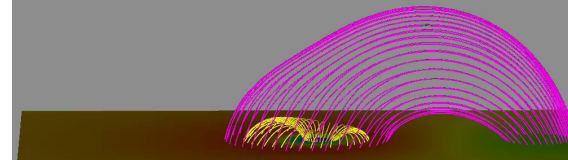
$L/N = 2.40$



$L/N = 1.84$



$L/N = 1.46$



- Velocity isosurface - **Red**: towards, **Blue**: away.
- AR values: iso (140 kms^{-1}), **red/blue** (100 kms^{-1})
- $|J|$ - **light blue** contours.

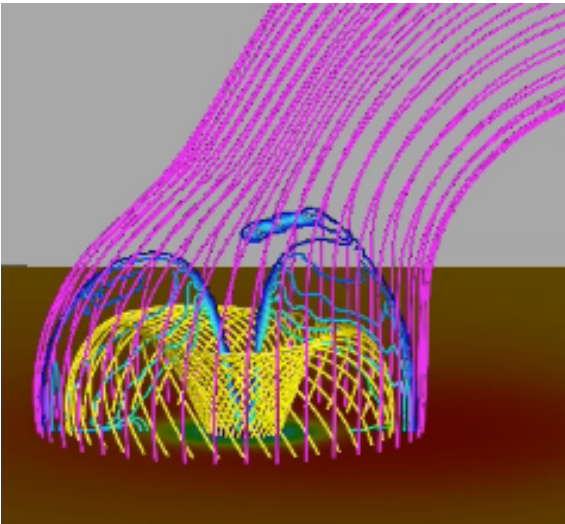
Long loop:

- Twist builds before kink-like onset and helical jet – similar to open-field case.
- Jet expands & contracts as it follows loop.
- Released twist trapped along loop.

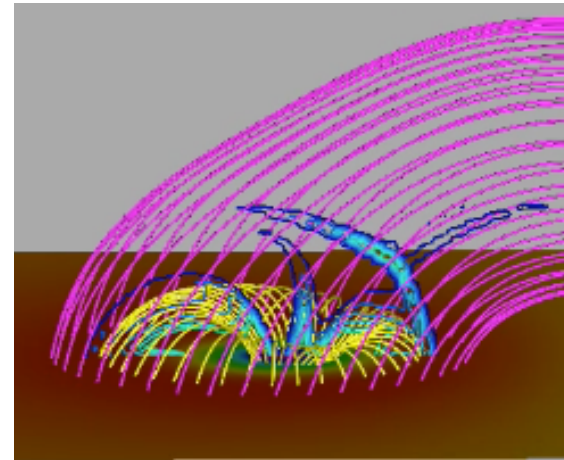
Shorter loops:

- Weak reconnection in buildup phase.
- Weaker, shorter more compact jets.
- Jet flow interaction.

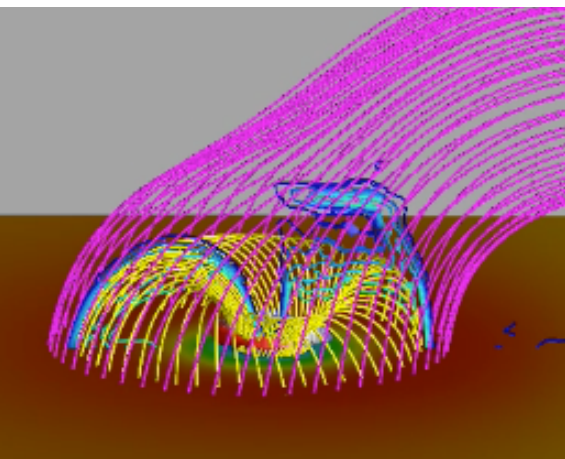
Jet Behaviour



$L/N = 2.40$



$L/N = 1.46$



$L/N = 1.84$

Reducing L/N ratio

= higher local inclination angle

= earlier current sheet formation and reconnection.

- Early reconnection is **slow**, giving **weak outflows**.
- **Impulsive jet outflow occurs after kink onset.**
- Local outflow speeds similar in each simulation.

Jets & Reconnection

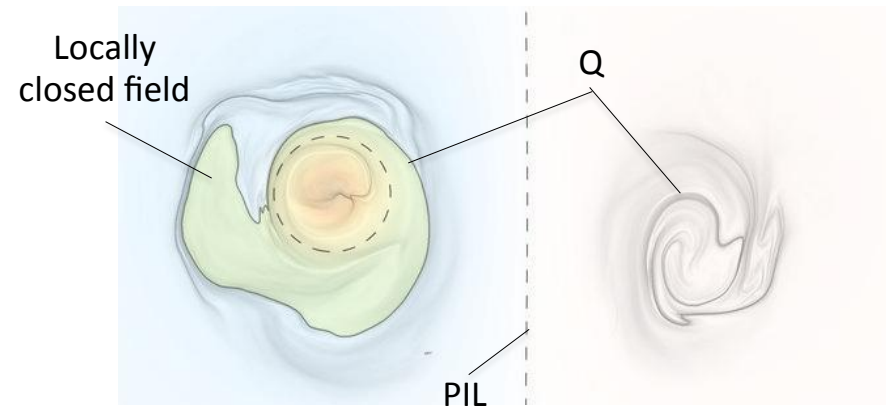
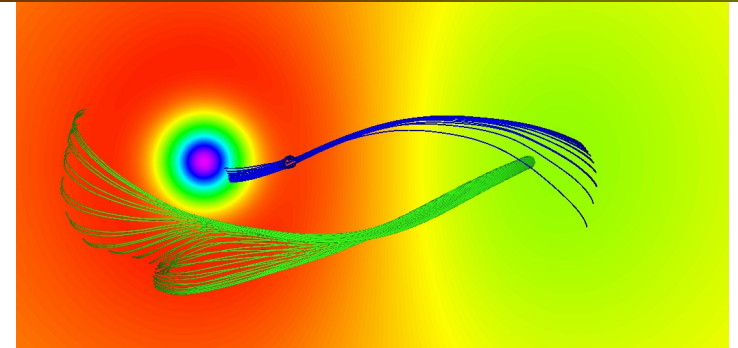
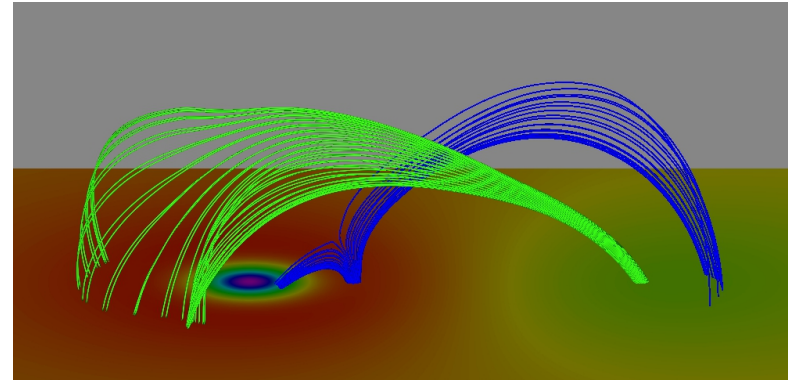
The Squashing factor (Q)

$$X = X(x, y) \quad \& \quad Y = Y(x, y)$$

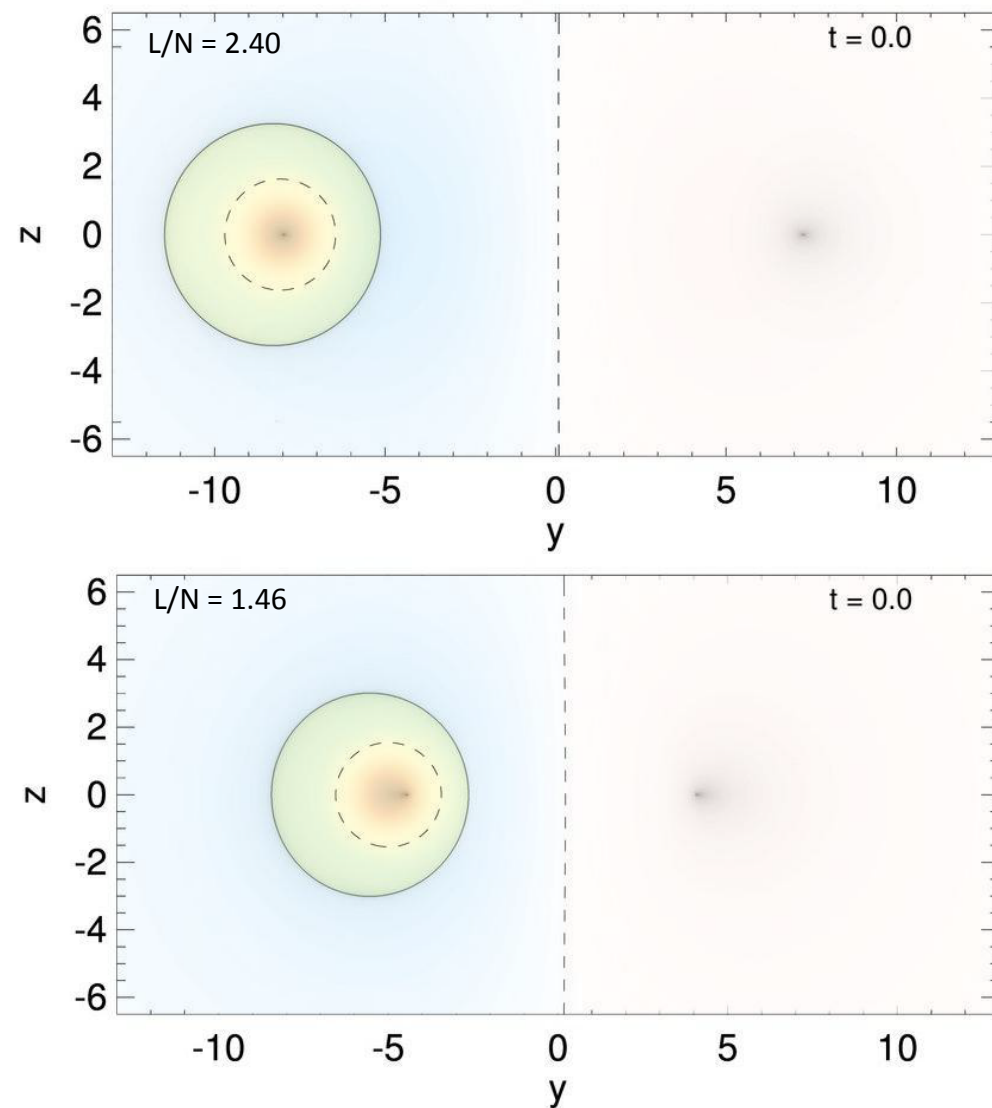
$$Q = \frac{B_n^*}{B_n} \sqrt{\left(\frac{\partial X}{\partial x}\right)^2 + \left(\frac{\partial Y}{\partial x}\right)^2 + \left(\frac{\partial X}{\partial y}\right)^2 + \left(\frac{\partial Y}{\partial y}\right)^2}$$

$$Q \in [2, \infty)$$

- Shows how squashed/stretched an elementary flux tube becomes.
- Infinite across separatrix surfaces, and high in Quasi-Separatrix Layers (QSLs).
- Moving Q layers show the footprint of reconnection flux fronts (Titov et al. 2008).
- In flares: moving Q layers trace the flare ribbons (Savcheva et al. 2015).



Jets & Reconnection



PIL – dashed lines

red/blue – B_x (normal to photosphere)

green – locally closed field

grey – Q (squashing factor)

Long loop ($L/N = 2.40$)

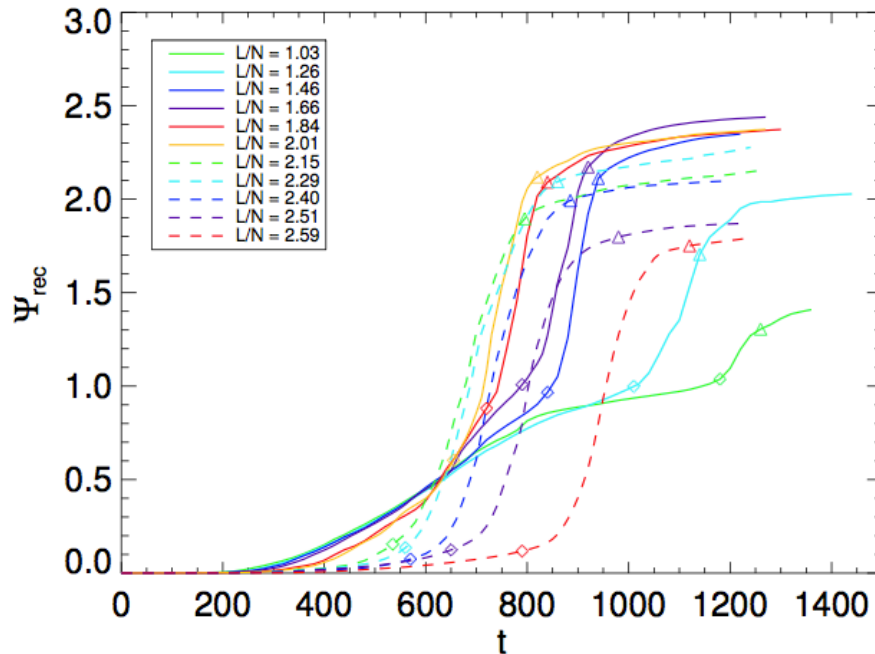
- Reconnection inhibited until symmetry is broken by the kink.
- Opens and closes twisted field during jet

Short Loop ($L/N = 1.46$)

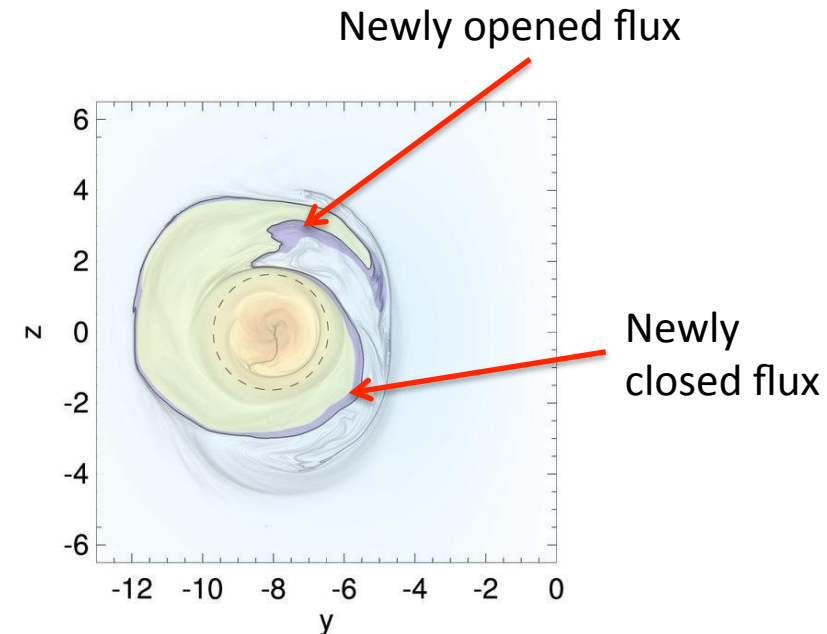
- Increased asymmetry = steady slow reconnection before jet.
- Twisted field opened before jet.
- Closed during jet.

Quantitative Differences

Normalised reconnected flux



Normalised flux = number of dome's worth.



$$\Psi_{rec}(t) = \frac{1}{2} \sum (\Delta\Psi_{opened} + \Delta\Psi_{closed})$$

$L/N > 2.1$

- Negligible reconnection before jet.
- \sim all dome flux opened & closed during jet.

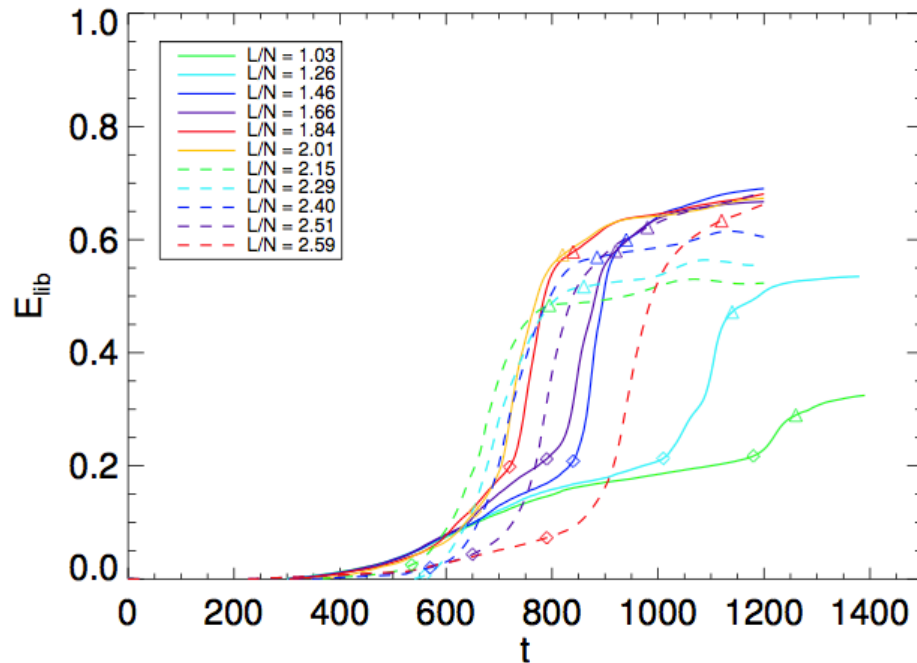
$L/N < 2.1$

- Up to all the dome flux opened up.
- Roughly all dome flux closed during jet.
- Lowest L/N : weak jets & reflected flows.

Most configurations: $\Psi_{rec} \sim 2$ in total \rightarrow flux opened & closed

Quantitative Differences

Liberated energy (normalised)



$$E_{lib}(t) = E_{inj}(t) - \Delta E_{mag}(t)$$

Energy
liberated from
the magnetic
field

Energy
injected by
driving

Energy
stored in the
magnetic
field

$L/N > 2.1$

- Little energy release before jet.

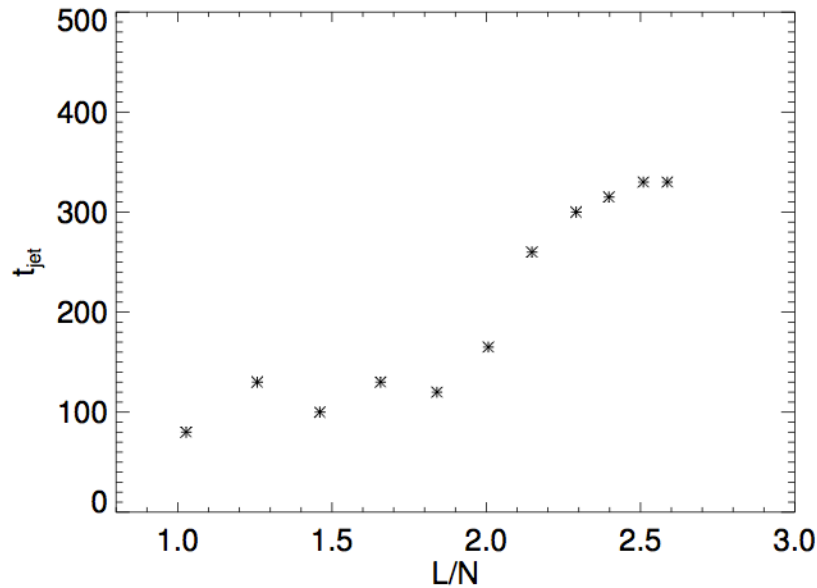
$L/N < 2.1$

- Up to ~20% energy released before jet.

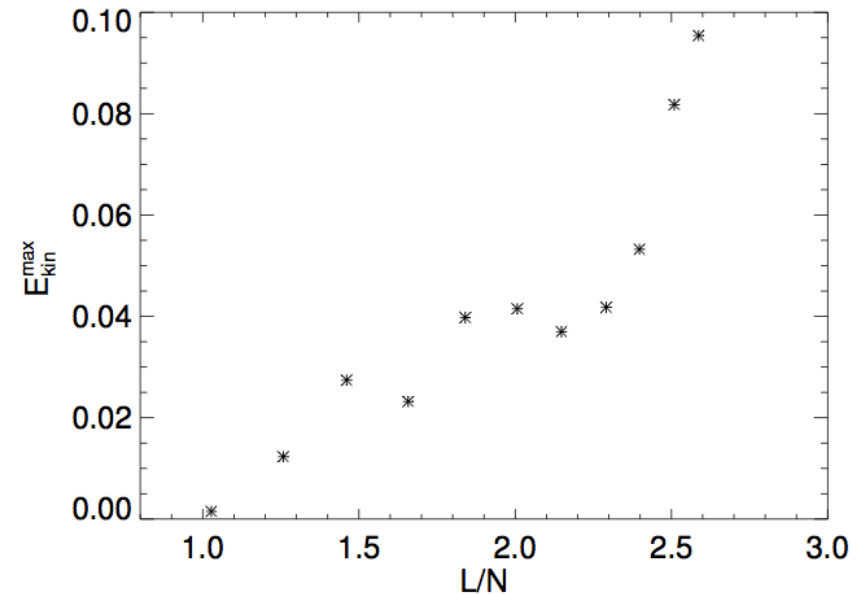
Most configurations: ~ 50%-60% injected energy released in total

Quantitative Differences

Jet durations



Peak jet volumetric kinetic energies



Larger L/N – longer, more energetic jets.

- Greater energy stored before onset.
- Opening & closing of flux occurs during jet.
- Less interactions with reflecting flows.

Quantitative Differences

Observed Values (Shimojo et al. 1996, Savcheva et al. 2007)

Durations: a few mins – ~40 mins

Lengths: 10Mm – 100s Mm

Energies: $\sim 10^{25} - 10^{28}$ ergs

Velocities: 100's – ~1000km/s

Scale to typical active region values using:

$$E_{\text{kin}} = E_s \quad E'_{\text{kin}} = E'_s \quad v_{\text{jet}} = v_s \quad v'_{\text{jet}} = v'_s \quad B = B_s \quad B' = B'_s \quad L = L_s \quad L' = L'_s$$

where,

$$v_s = B_s / \rho_s^{1/2}, \quad t_s = L_s / v_s, \quad E_s = (B_s)^2 (L_s)^3$$

Using scaling values of:

$$\rho_s = 1 \times 10^{-14} \text{ g cm}^{-3}, \quad B_s = 10 \text{ G}, \quad L_s = 1 \text{ Mm}$$

gives peak jet values of:

$$B_{\text{pp}} \sim 210 \text{ G}, \quad B_{\text{back}} \sim 40 \text{ G}, \quad L \sim 20 \text{ Mm}, \quad N \sim 7 \text{ Mm}$$

$$t_{\text{jet}} \sim 6 \text{ mins},$$

$$v_{\text{jet}} \sim 300 - 1000 \text{ km/s},$$

$$E_{\text{jet}} \sim 1 \times 10^{28} \text{ ergs}$$

$$E_{\text{kin}} \sim 1 \times 10^{27} \text{ ergs}$$

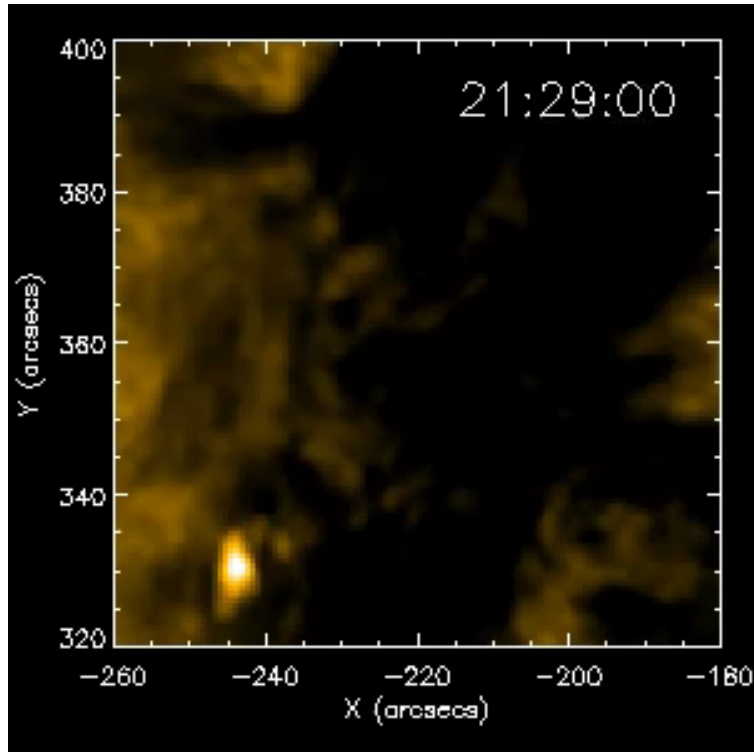
Conclusions

- The embedded bipole jet model reproduces a number of closed-field jet features:
 1. Observed untwisting motions along coronal loops.
 2. Expansion & contraction of the jet material along the loop.
 3. Quantitative match in terms of durations, velocities & energies.
 4. The trapping of twist within the loop where it relaxes.
- The parameter study also revealed that:
 4. The relative size of jet region (N) vs loop separation (L) changes the jet behaviour.
 5. The longest, most energetic jets occur for large L/N .
 6. Jet reconnection is highly efficient!

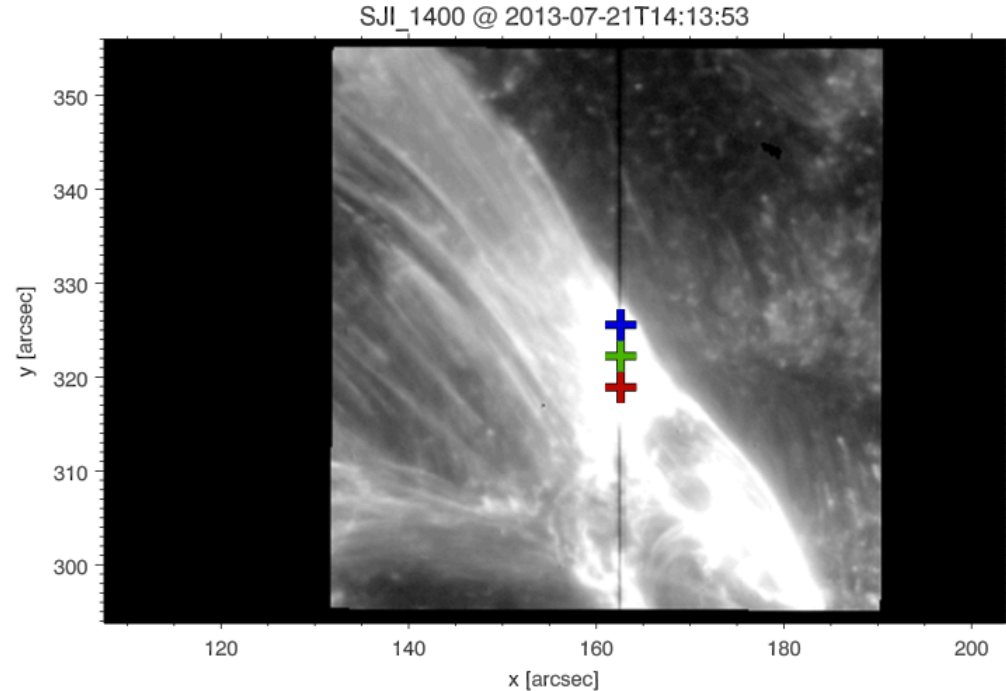
Wyper, P. F. & DeVore, C. R., *Simulations of Solar Jets Confined by Coronal Loops*, submitted to ApJ. (2015), [arXiv:1509.07901]

Tearing & Blobs

Zhang & Ji (2014)



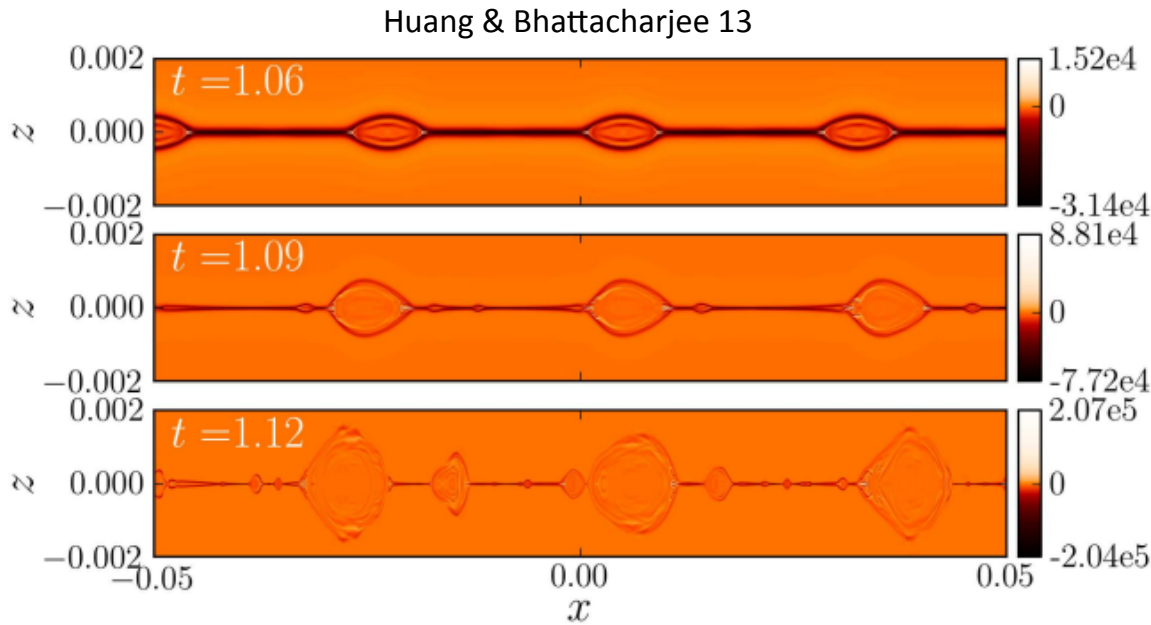
Cheung et al. (2015)



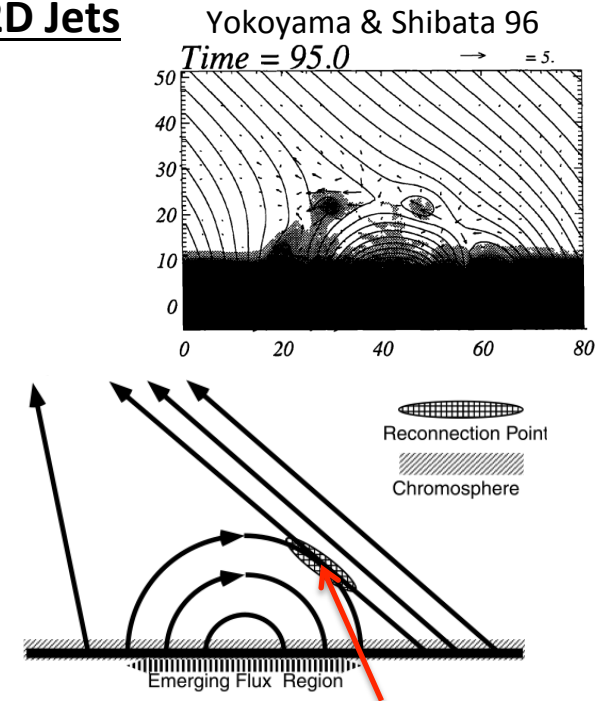
Blobs

- Enhanced temperature, density or both.
- Suggested that it's related to tearing of the jet current sheet.
- Does this suggest jet reconnection is bursty on very short time scales?
- Are blobs really from tearing or thermal instabilities?
- Is tearing even expected to occur?

2D Tearing: Plasmoid Instability



2D Jets

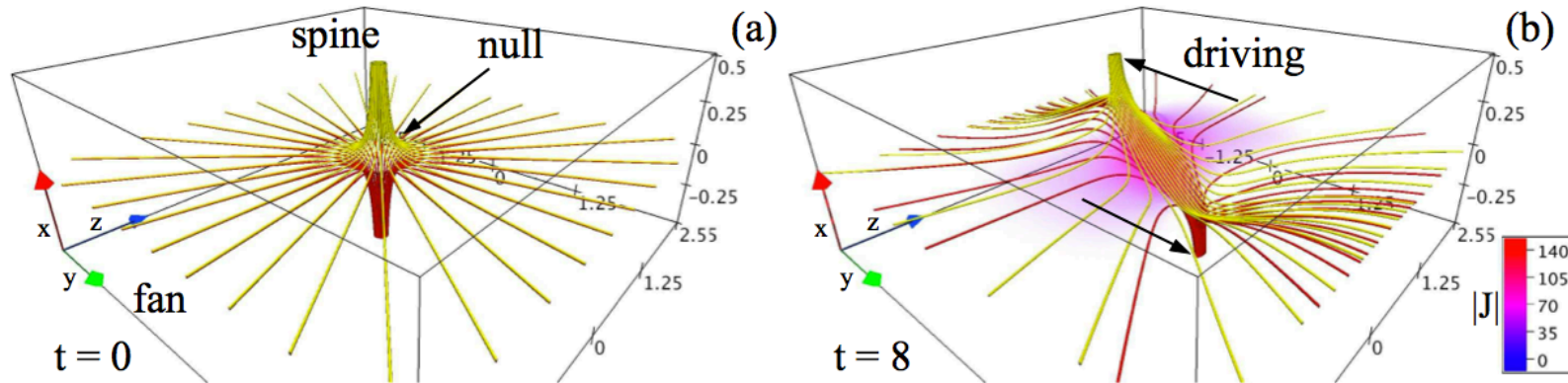


Current layer at a
3D null

The Plasmoid Instability

- Tearing occurring in Sweet-Parker current layers (long and thin).
- Fluctuations grow faster than ejection time when: $S = L v_a / \eta > S_c \sim 1 \times 10^4$
- Linear growth rate $\sim S^{1/4}$ -> very fast in the corona!
- Quickly non-linear, forming islands that coalesce and are ejected -> blobs?
- But jets are 3D! No flare-like symmetry planes here...

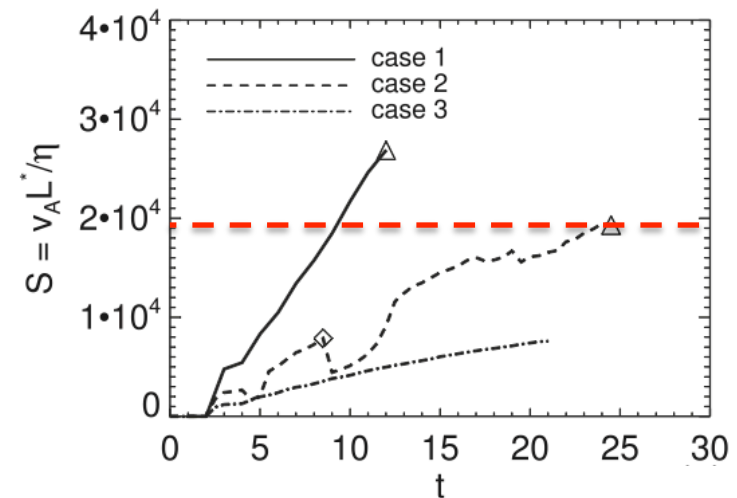
3D Tearing: Null Point Current Layer



Wyper & Pontin (2014a)

- Sheared a 3D null, forming a current layer.
- Explicit η used.
- Continued until tearing occurred.
- Unstable for $S_c > 2 \times 10^4$ (S measured in plane of spine-fan collapse).
- Current layers formed at 3D nulls explosively unstable to tearing **at coronal values**.

-> Jet current layers should be explosively unstable to tearing.

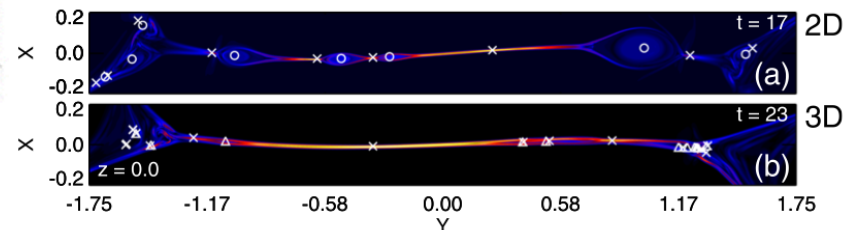
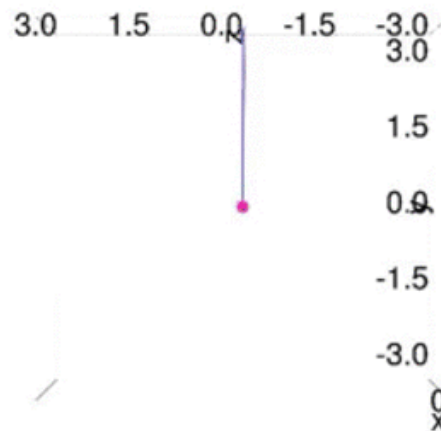
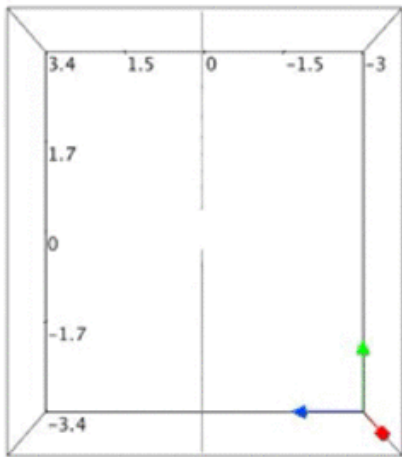
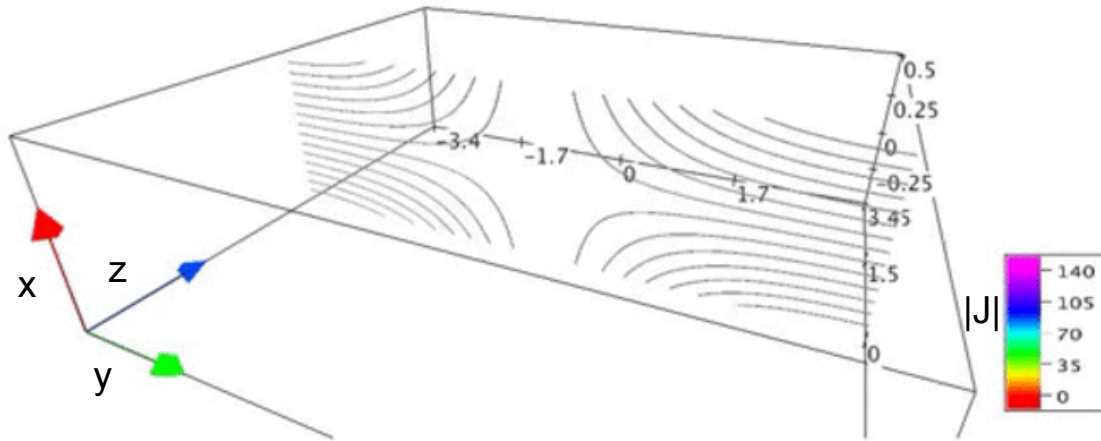


3D Tearing: Null Point Current Layer

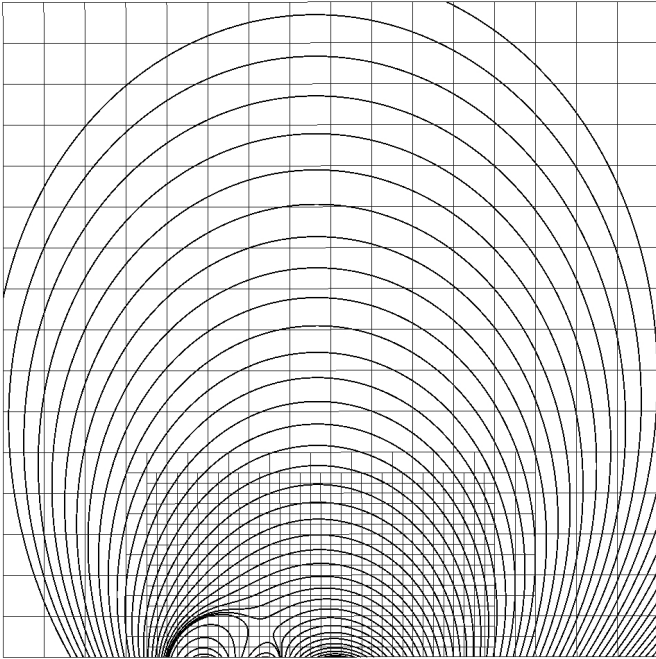
Wyper & Pontin (2014b) – Non-linear Dynamics

Main Features

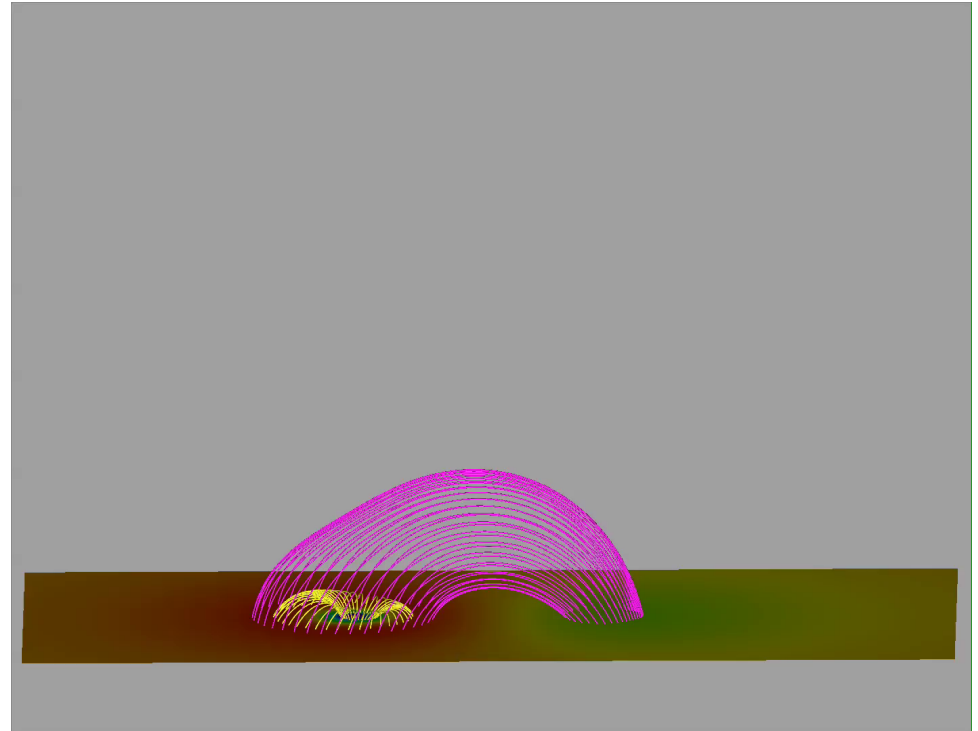
- Forms flux ropes & multiple null points.
- A complex relationship exists between the two.
- Flux ropes kink and writhe in weak field near the centre.
- Flux ropes expel twist as torsional waves at an angle from the outflow.
- Expulsion of twist/mass flattens flux ropes vs 2D islands -> no blobs?



High Resolution Simulations



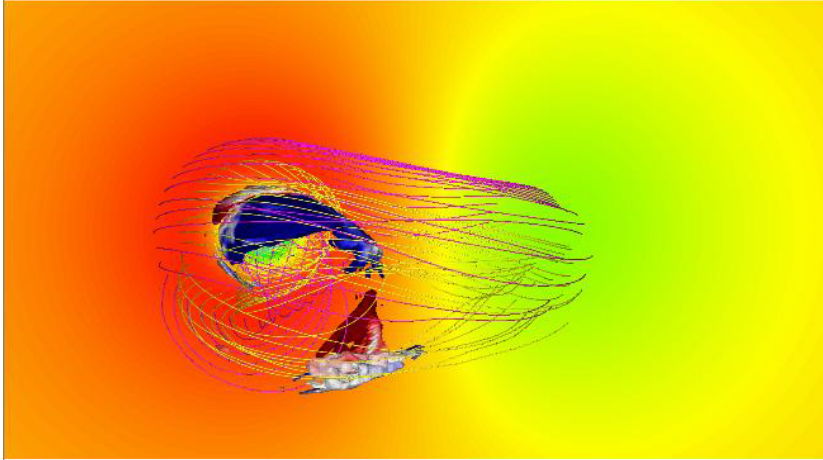
- Each cell contains 8x8x8 grid cells.
- Blocks of fixed increased resolution so that tearing not due to changing grid adaption.
- Increased effective Lundquist number.



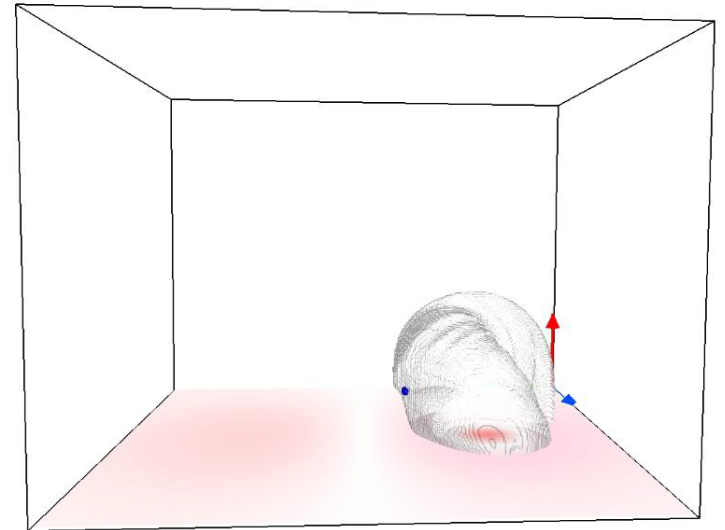
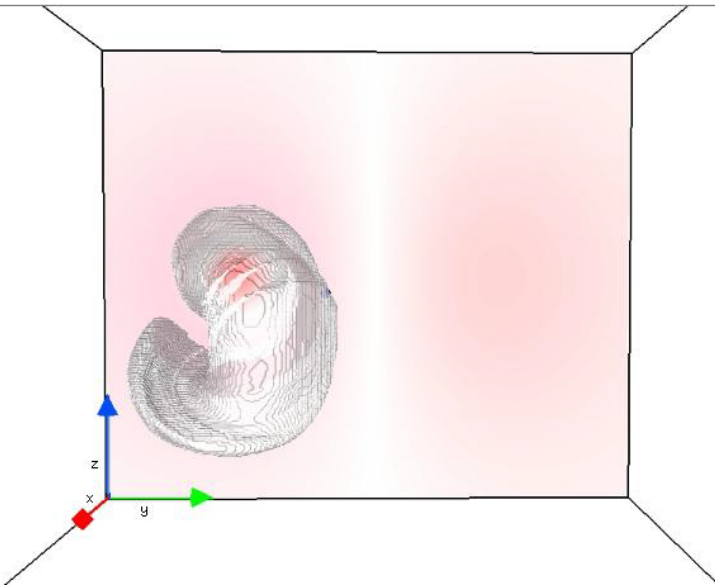
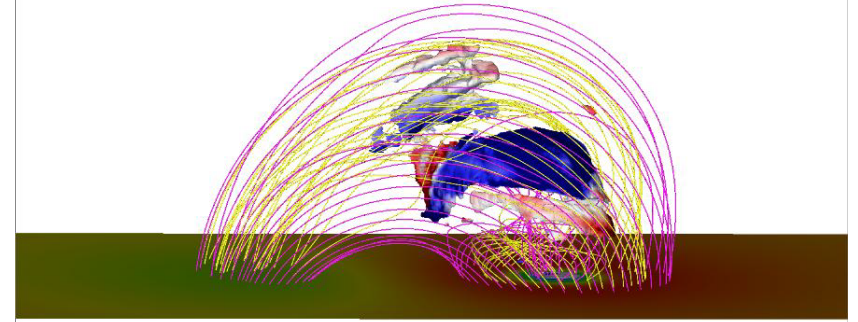
- Similar qualitative features.
- Much greater structure in the loop (previously smoothed out).
- Is there tearing?

Short Loop: Tearing

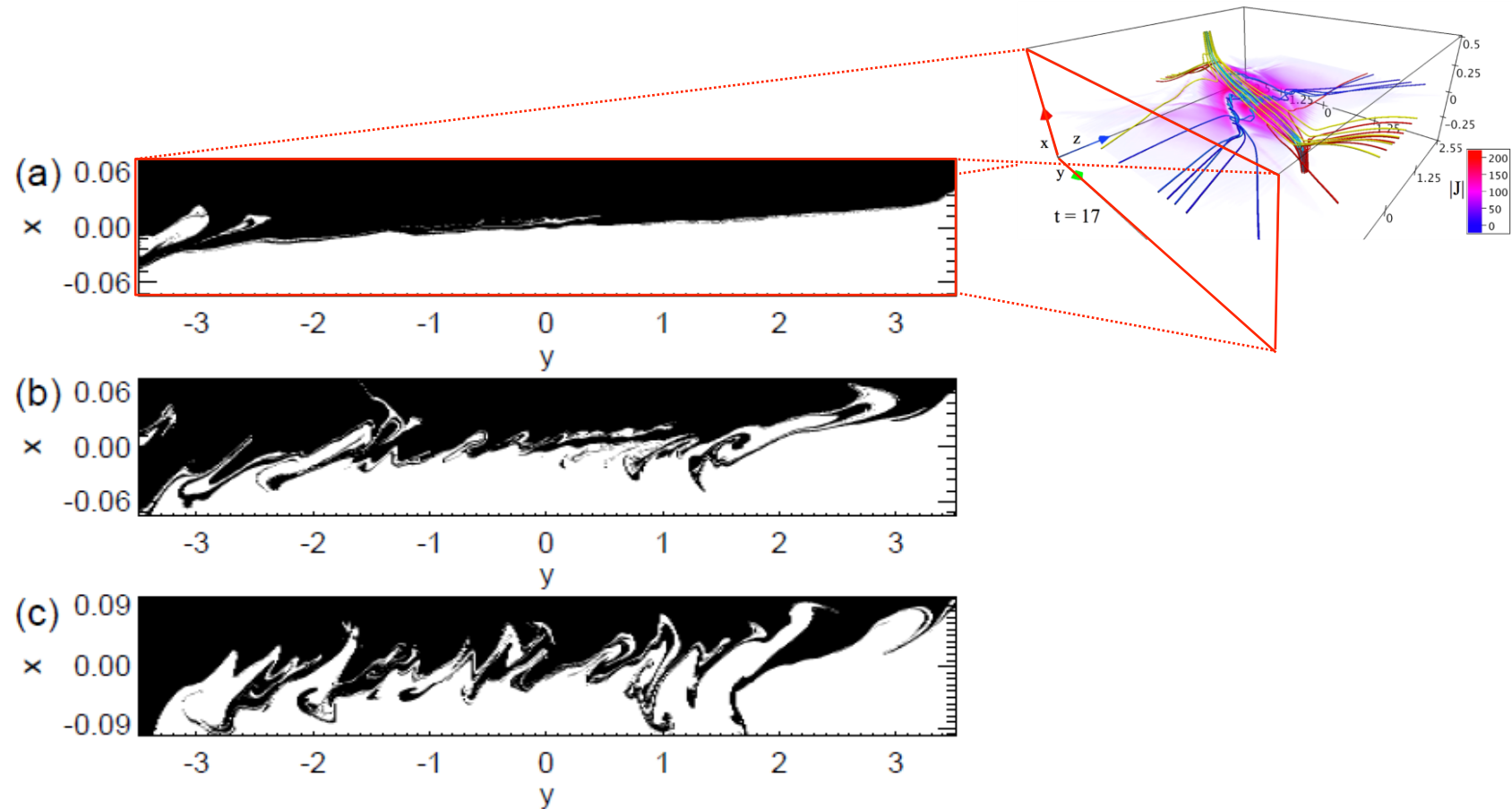
$t = 720,0$



$t = 720,0$



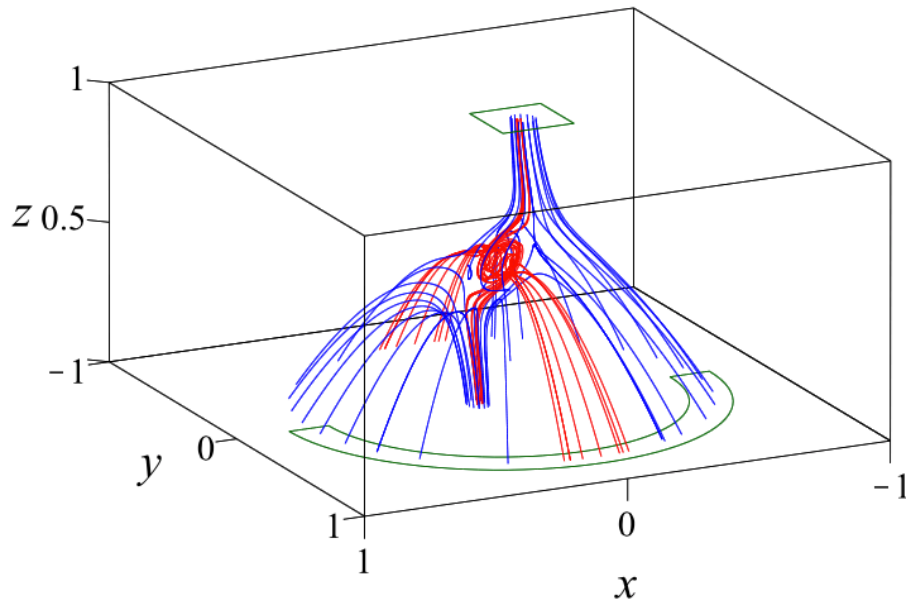
Photospheric Signatures



- Trace field lines from side plane. Colour point according to whether field line hits top or bottom boundary.
- Flux ropes twist up the separatrix boundary – reconnecting flux back and forth.
- Creates spiral patterns in the mapping.

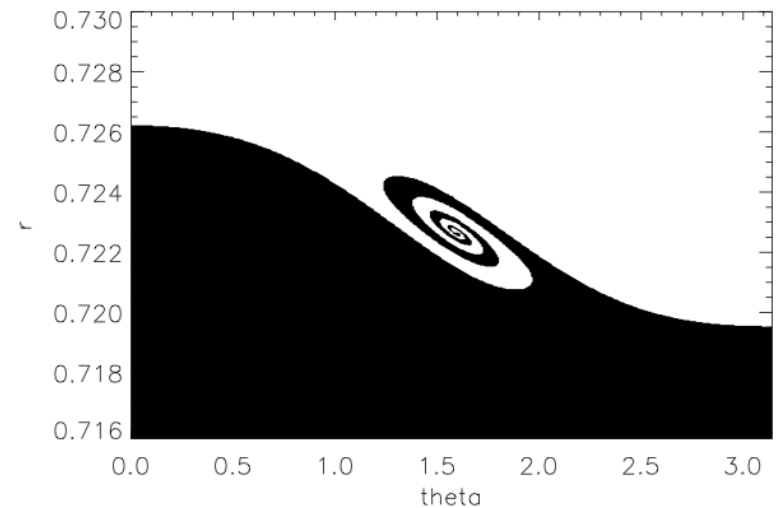
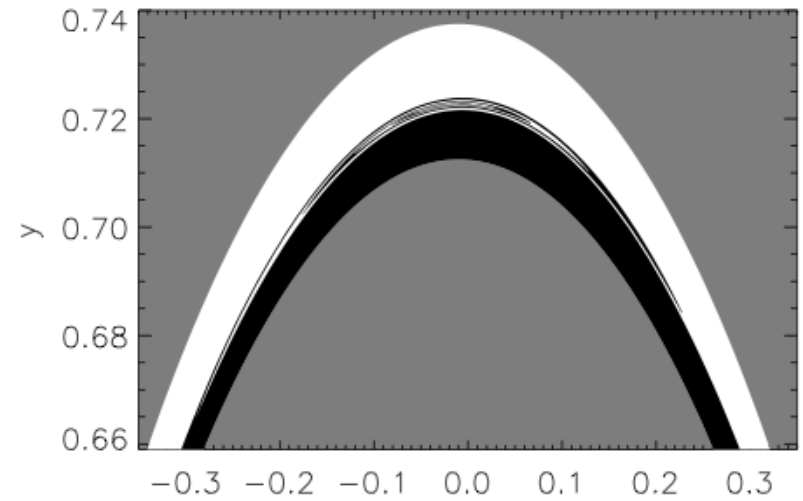
Photospheric Signatures

Pontin & Wyper (2015) – Jet Topology

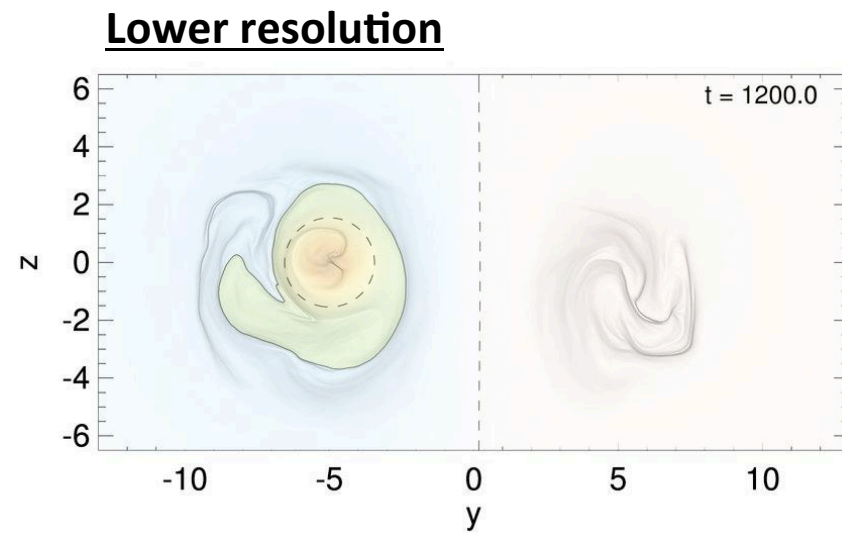
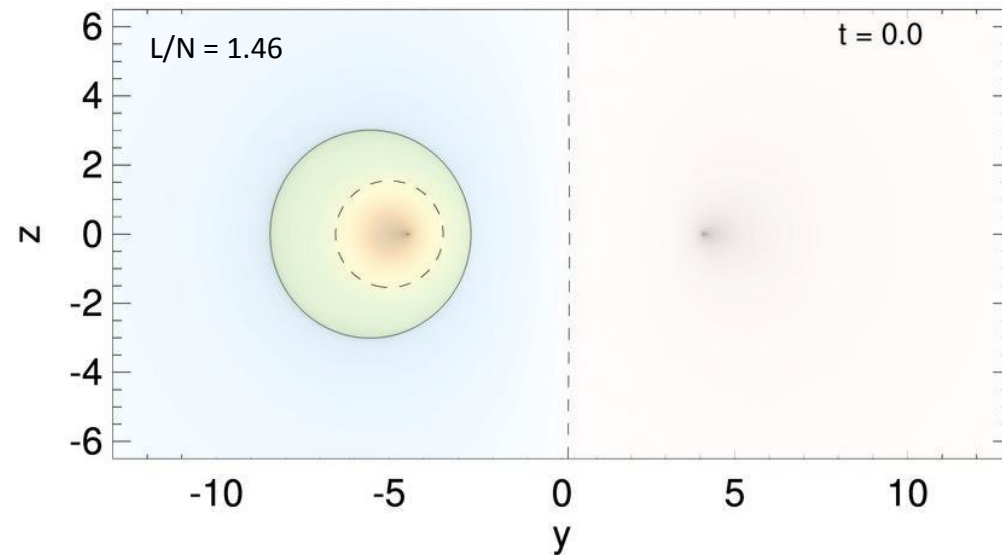


- Static analytical model.
- Potential field + local twist region.
- Rough approximation to tearing.
- Flux rope footpoints = extended twisted open-closed mixed layer.

→ should give spiral patterns in Q



Photospheric Signatures



- The biggest flux ropes appear as spirals in Q.
- Here Q layers coincident with high current.

Conclusions

Tearing

- Tearing occurs at higher resolution/Lundquist numbers in jet simulations.
- Expected to occur in all observed jets to some degree -> since all jets involve open-closed field reconnection across an extended 3D null current layer.

Reconnection Region

- Multiple 3D null points and flux rope structures.
- Flux ropes are ejected as untwisting wave packets that feed into the jet outflow/curtain.

Photospheric Signatures

- The biggest have a spiral photospheric signature in Q (and J).

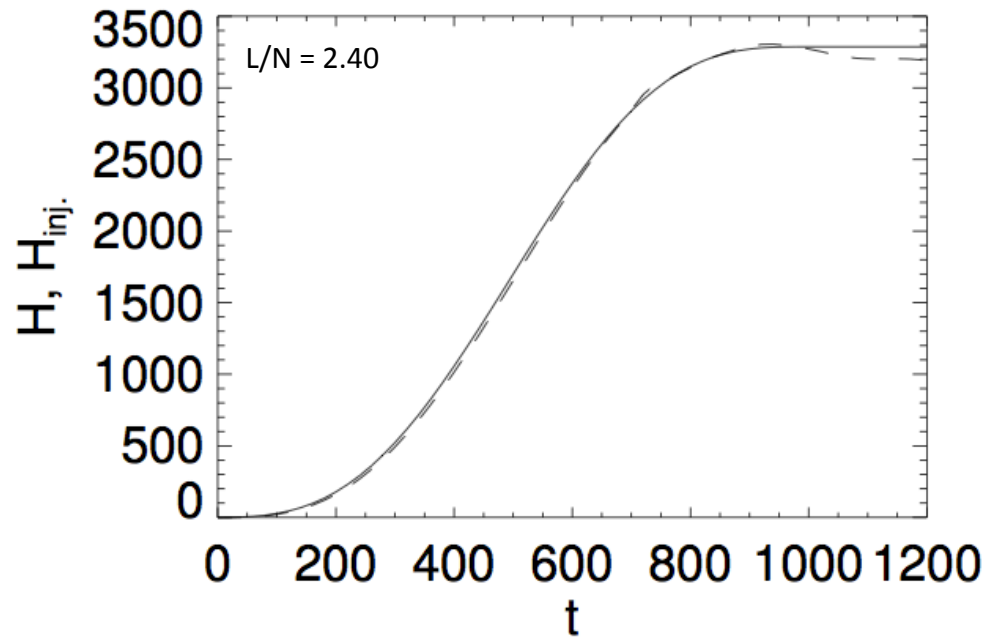
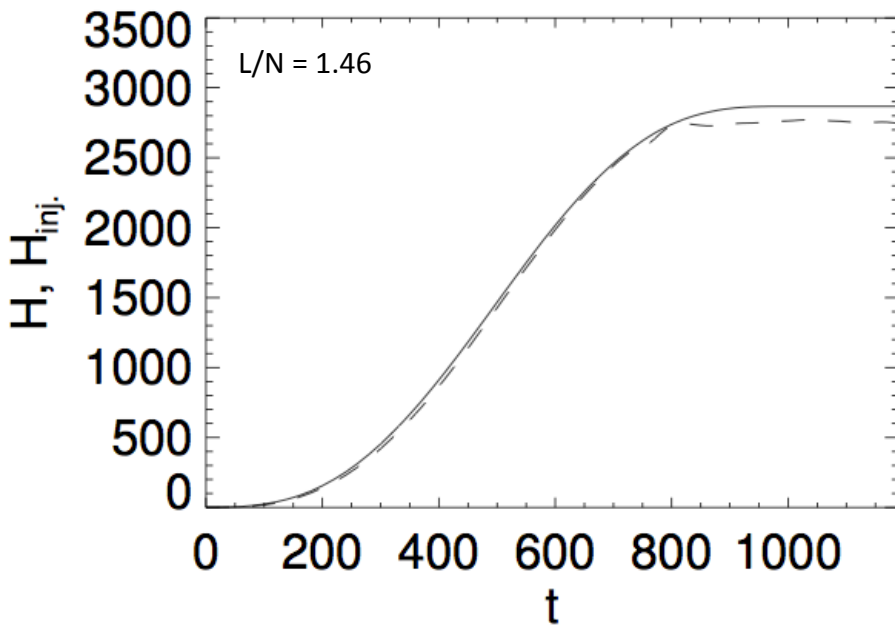
Big question: is this what we are seeing as blobs?

- Not clear!
- Need much improved energy equation, gravitational stratification etc to answer.
- Could it still be observed even if not?

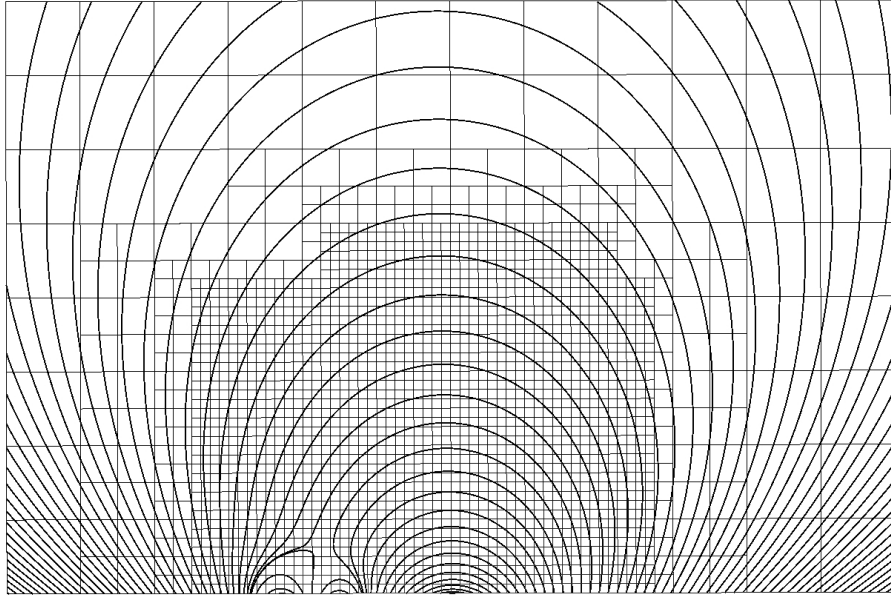
Thank you!

Extra

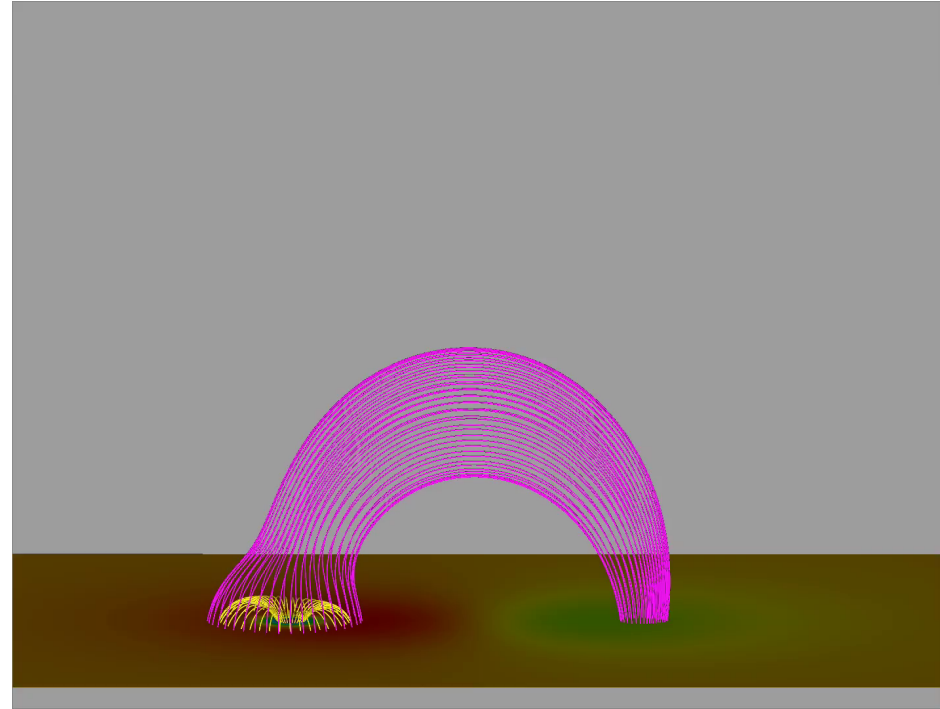
Helicity Conservation



High Resolution Simulations

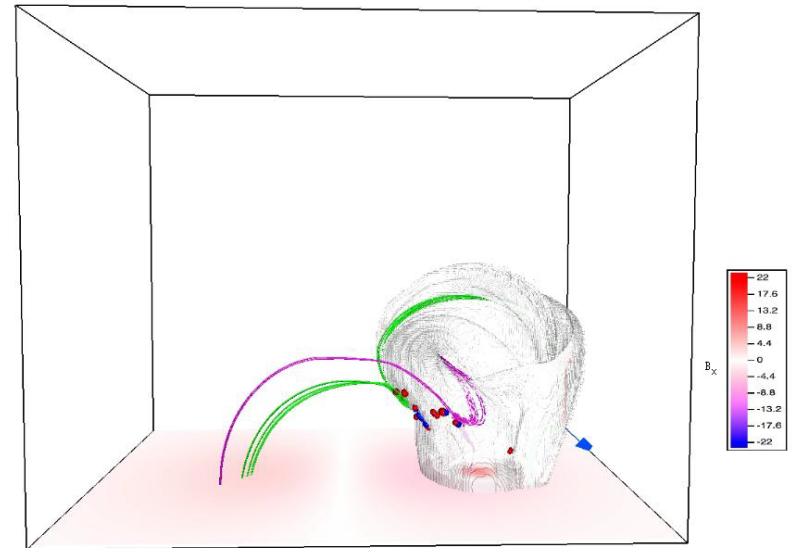
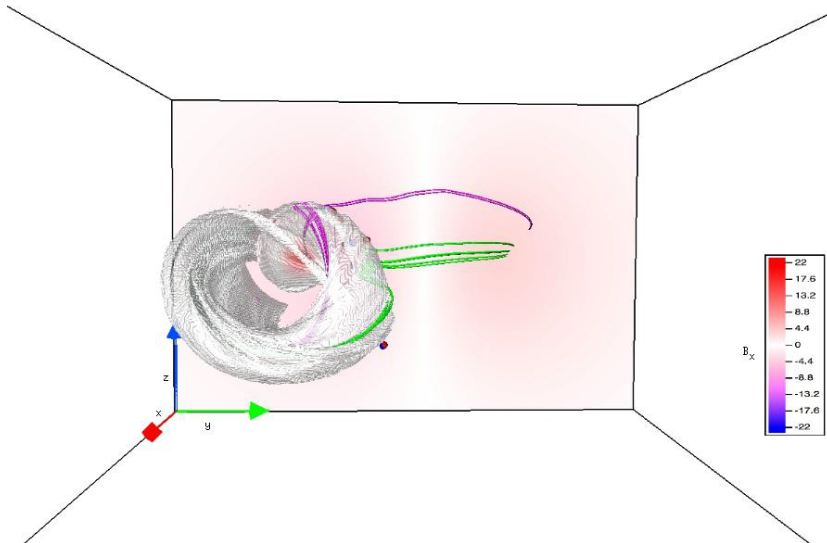
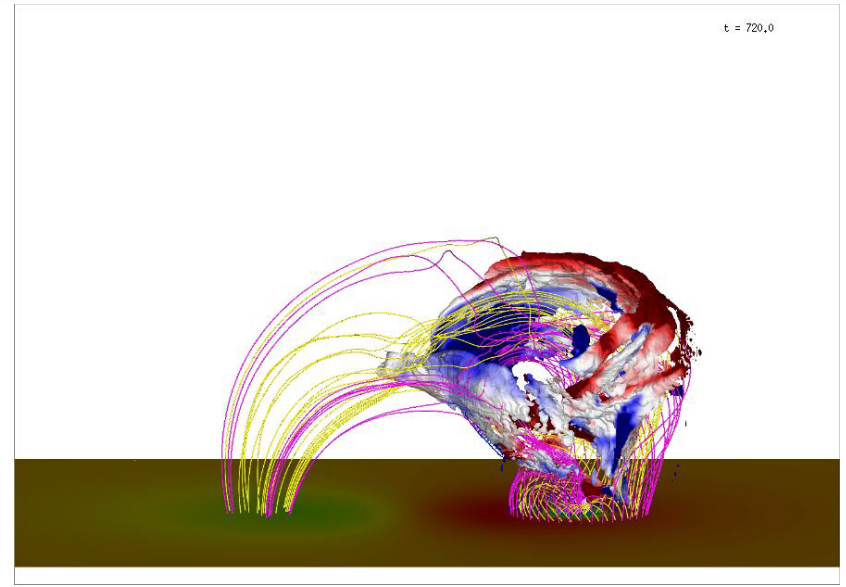
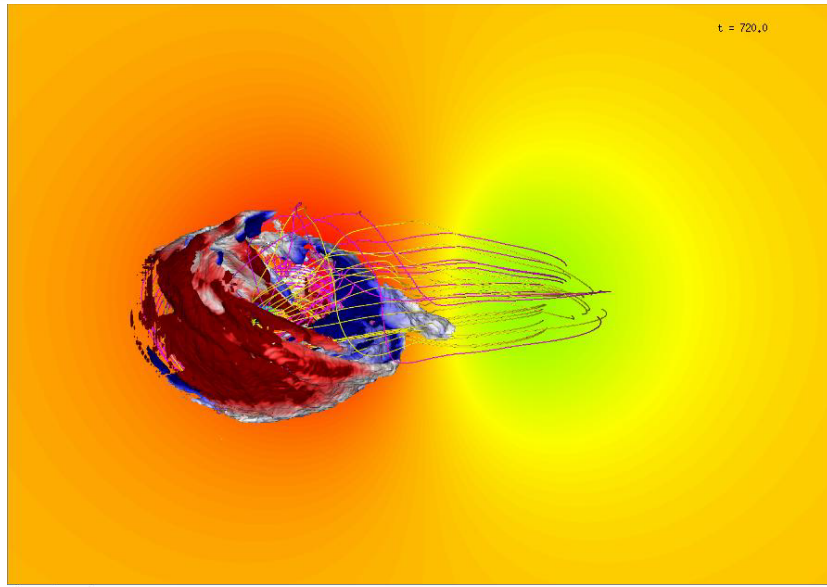


- Each cell contains $8 \times 8 \times 8$ grid cells.
- Blocks of fixed increased resolution so that tearing not due to changing grid adaption.
- Increased effective Lundquist number of current layer.

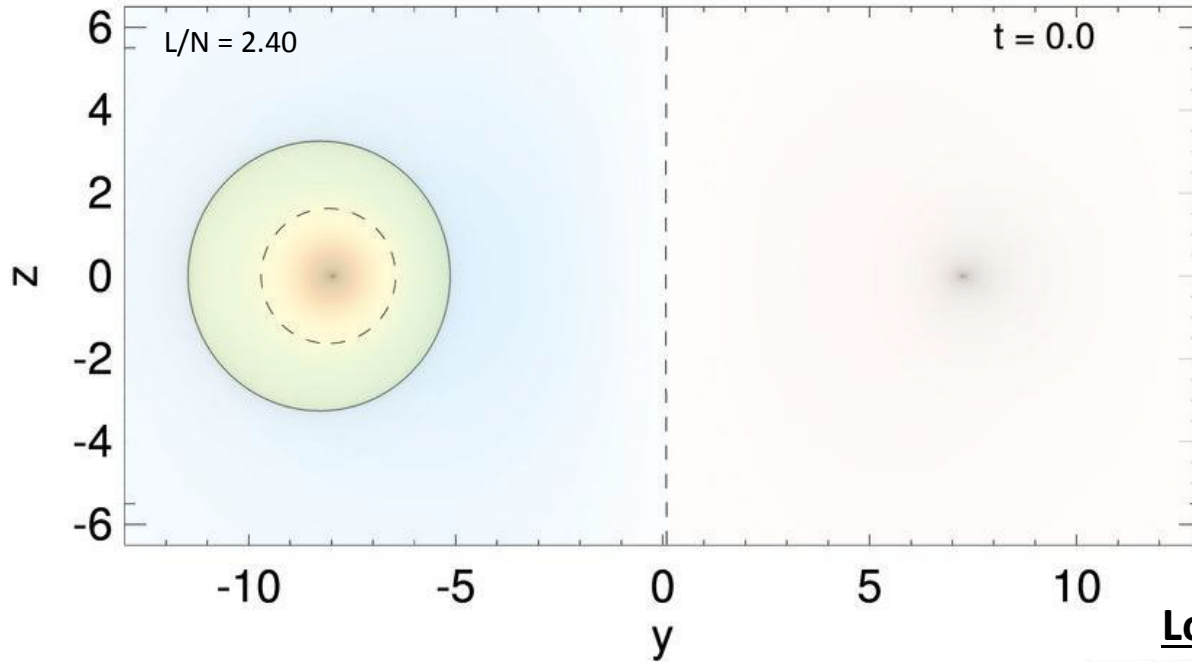


- Similar qualitative features.
- Now much greater fine-scale structure in the loop (previously smoothed out).
- Is there tearing?

Long Loop: Tearing



Tearing Signatures



- Some spiral signatures.
- Only the most broad ropes make an impact.

